Rayat Shikshan Sanstha's

Yashavantrao Chavan Institute of Science, Satara (Autonomous)

B.Voc.I Software Development (Semester-II)

Writing and Presentation Skills (EN 1211)

Question Bank

Q.1) Answer the following questions in two to three sentences.

- i) Name the two types of clauses.
- ii) Define keyboarding skill and state its use.
- iii) What is word processing? Name any word processing software.
- iv) Give full forms of the following abbreviations:
 - i) E-mail
- ii) ppt
- v) Name the four types of essays.
- vi) What are the types of presentation?
- vii) Mention the two rules of capitalization.
- viii) What is home row? Mention the keyboard keys in home row.
- ix) What are the two types of indents in Microsoft word?
- x) What are the types of an e-mail?
- xi) Define narrative paragraph and state the tense used in a narrative paragraph.
- xii) What is a presentation? Name one presentation software
- xiii) What are the two types of objects?
- xiv) Name the two famous word processing software.
- xv) What is touch typing? What is its benefit?
- xvi) What is technical writing? Give an example.
- xvii) What are the types of reports?
- xviii) State the importance of presentation skills.

Q.2) Draft the following.

- a) Write an essay on –
- i) Digital India
- ii) Social media addiction
- iii) Impact of Coronavirus pandemic on employment
- iv) My ambition

b) Write a letter of application in response to the following advertisement.

i)

Required

A PURCHASE OFFICER

Qualification:

Degree- Diploma in Electrical Engineering, computer literate and having an experience in similar field.

Apply to:

The Managing Director;

Cosmos Ltd.; 72-E Industrial Area;

Andheri (E); Mumbai 400093.

ii)

Required

A COMPUTER TEACHER

Qualification:

Degree- Master's degree in computer science, computer literate and having an experience in similar field.

Apply to:

The Principal;

Liberty High School; 72-E

Andheri (E); Mumbai 400093.

iii)

Required

A Software Developer

Qualification:

Degree- Degree in Computer Engineering, computer literate and having an experience in similar field.

Apply to:

The Managing Director;

Sunshine Ltd.; 72-E Industrial Area;

Andheri (E); Mumbai 400093.

iv)

Required

A VFX Designer

Qualification:

Degree- Degree in Computer Engineering, course in animation and graphic

designing, computer literate and having an experience in similar field.

Apply to:

The Managing Director;

Tiny Toon Ltd.; 72-E Industrial Area;

Andheri (E); Mumbai 400093.

Q.3) Draft the following.

[6+6]

a) Draft a report on-

- i) the celebration of Independence Day in your college.
- ii) annual report of the activities of the nature's club in your institution
- iii) World Science Day celebration in your college
- iv) Tree Plantation Drive organized in your locality

b) Write a piece of dialogue on the following situations:

- i) two friends planning a party to celebrate their graduation
- ii) a father and a son discussing end semester examination result
- iii) two friends regarding participation in youth festival
- iv) a hotel manager and a customer regarding booking of room

Q.4) Draft the following.

a)Write an e-mail -

- i) Write an e-mail to your English professor requesting an extension for the assignment submission.
- ii) Write an e-mail to your friend inviting him/her for a trip to Mahabaleshwar.
- iii) Write an email to your cousin who just met with an accident inquiring about his/her health.
- iv) Write an e-mail to the Principal of your institute requesting bona fide certificate.

b) Draft a presentation on-

- i) Education system in India
- ii) Women empowerment
- iii) Global Warming
- iv) Pros and cons of online education

Q.5) Do as directed

- a) Identify if the following sentences are simple, compound or complex.
 - i) It was John who paid for the drinks.
 - ii) I have got four sisters and each of them is different from the other.
 - iii) Roses are beautiful flowers.

- iv) He lost his money but he did not lose his patience.
- v) She wrote a novel.
- vi) I happen to know a man who can help you.
- vii) John went to school but James remained at home.
- viii) My son went to play and I started working.
- ix) The students solved the questions very easily.
- x) We decided to go fishing and camp out at the lake.
- xi) The roads are slippery where it has rained.
- xii) He is not harmful.

b) Write the synonyms of the following words.

i) Beautiful

ii) Dangerous

iii) Fear

iv) Important

v) amazing

vi) brave

vii) fast

viii) false

c) Write the antonyms of the following words.

i) Accept

ii) Presence

iii) Natural

iv) Brave

v) Beginning

vi) Agree

vii) Question

viii) Advantage

d) Identify the prefix in following words.

i) Unhappy

ii) Decode

iii) Illegal

iv) Misplace

v) irregular

vi) Displace

vii) precede

viii) incomplete

e) Identify the suffix in the following words.

i) Driver

ii) Careless

iii) Painful

iv) movement

v) feminism

vi) chemist

vii) proposal

viii) transportation

f) Rearrange the following sentences into a paragraph beginning with the initial sentence.

- 1. i) Their addiction forces them to spend all their free time in front of the computer.
 - ii) One negative side effect is that people can get addicted to computers.
 - iii) This obsession damages their family life.
 - iv) Computers have several bad side effects.
- 2. i) The main thing that propelled the development of the aeroplanes at such a

Fast pace was, however, the first and the second world war

- ii) An aeroplane was a wonderful invention of its time.
- iii) But its use as a main means of transport was adopted later.
- iv) Some even say it was one of the greatest invention of all time.
- 3. i) The eldest of the three sons would have become the king after his father.
 - ii) So he drove the three sons away.
 - iii) There was once a king in India who died leaving behind three sons.
 - iv) But the captain of the king's army wanted the kingdom for himself.
- 4. i) He had many brothers
 - ii) When the old king died, there was fighting between the brothers for the throne.
 - iii) Ashoka was born in the ruling Maurya family of Magadha.
 - iv) Ashoka was able to defeat his brothers.

Q.6) Do as directed.

a) Identify the subject and predicate in the following sentences.

- i) The cat is sleeping in the sun.
- ii) Maria's sisters are going to the pool.
- iii) The dogs were barking loudly.
- iv) The man and his wife were working in the garden.
- v) The pretty girl was wearing a blue frock.
- vi) My mother and my aunt are trained classical dancers.

b) Identify the dependent and independent clause in the following sentences.

- i) After he completed his homework, he went to the gym.
- ii) While walking at the park, John saw a cat eating potato chips.
- iii) When I went to the zoo, I looked at the animals.
- iv) As soon as I got out of the water, I caught cold.
- v) After the flood, the family moved into a temporary shelter.
- vi) When you finish your homework, please take the dog for a walk.

c) Punctuate the following sentences correctly.

- i) i must have forgotten keys on the dining table
- ii) how colorful that rainbow is
- iii) what a huge creature
- iv) they aren't going to wait all day
- v) have they found the keys
- vi) we are a bit late for lunch

Q.7) Write short notes on the following.

- a) Touch typing
- b) Character formatting in Microsoft word
- c) Advantages of email
- d) a) Structure of a paragraph
- e) Desk top publishing
- f) Effective strategies of structuring a presentation
- g) Capitalization
- h) Types of essays
- i) Appearance and body posture in presentation

Questions Bank

B.VOC. -I, Semester-II

Subject: Mathematics-I (MM-1131)

4 \		J nit-I
1)	Let, $f(x) = x^2$ then $f'(x) =$	
	A) 2 <i>x</i>	B) <i>x</i>
	C) 2	D) None of these
2)	Let, $f(x) = x + e^x$ then $f'(x) =$	
	A) e^x	B) $1 + e^x$
	C) $1 - e^x$	D) None of these.
3)	If $f(x) = e^x + x^2 + \sin x$ then $f(0)$	=
	A) e^0	B) 1
	C) x	D) Both A) and B)
4)	If $f(x) = x^4 + \sin 2x$ then $f'(x) =$	=
	$A) 4x^3 - 2\cos 2x$	B) $4x^3 + cos2x$
	C) $4x^3 + 2\cos 2x$	D) $x^3 + 2\cos 2x$
5)	If $f(x) = 2sinx.cosx$ then $f'(x) =$	
	A) $2\cos^2 x + 2\sin^2 x$	B) $2\cos^2 x - 2\sin^2 x$
	C) $2sinx + 2cosx$	D) $2sinx - 2cosx$
6)	If $f(x) = \sin x/x^2$ then $f'(x) =$	
	A) $\frac{x^2 \cos x + 2x \sin x}{x^4}$	B) $\frac{\cos x + 2x \sin x}{x^4}$
	X *	X
	C) $\frac{x^2 \cos x - 2x \sin x}{x^4}$	D) $\frac{x^2 \cos x - 2x \sin x}{x^2}$
7)	If $y = \sinh x$ then $\frac{dy}{dx} =$	
	A) - sinhx	B) sinhx
	C) coshx	D) - coshx
8)	If $y = \cosh^{-1} x$ then $\frac{dy}{dx} =$	
		$B) \pm \frac{1}{\sqrt{x^2} + 1}$
	A) $\pm \frac{1}{\sqrt{x^2 - 1}}$ C) $\pm \frac{1}{\sqrt{(x^2 + 1)}}$	D) $\pm \frac{1}{\sqrt{(x^2-1)}}$

9)	Let, $y = x^x$ then $\frac{dy}{dx} =$	
	A) $x^x(1 + log x)$	B) $x^x(1 - log x)$
	C) $(1 - log x)$	D) $(1 + log x)$
10)	Derivative of log(sinx) is	
,	A) tanx	B) cotx
	C) $\frac{1}{\sin x}$	$D)\frac{1}{\cos x}$
11)		0.5.2
	A) 0	B) 2
	C) 3	D) 1
12)	Let, $cosh^2x - sinh^2x =$	
	A) 0	B) 1
	C) 2	D) -1
13)	Let, $f(x) = x^3 - 1$; $x \in [0,1]$ then	
	A) Roll's Theorem is applicable	
	B) Roll's Theorem is not applicable	
	C) Langrange's Mean Value Theorem is applicable	
4.4	D) Both B) and C)	
14)	Let, $f(x) = x^2 + 3x - 5$; $x \in [0,1]$ then	
	A) Roll's Theorem is applicable R) Poll's Theorem is not applicable	
	B) Roll's Theorem is not applicable C) Langrange's Mean Value Theorem is applicable	
	D) Both B) and C)	
15)		
13)	Let, $f(x) = x^2 + 3$; $x \in [-1,1]$ then	
	A) Roll's Theorem is applicable	
	B) Roll's Theorem is not applicable C) Langrange's Mean Value Theorem is not applicable	
	D) Both B) and C)	
16)	, , ,	
- 1	A) $-sinhx$	B) sinhx
	C) sinx	D) - sinx
17)	Derivative of $\sinh^{-1} x$ is	, , , , , , , , , , , , , , , , , , , ,
	A) $\pm \frac{1}{\sqrt{x^2-1}}$	$B) \pm \frac{1}{\sqrt{x^2} + 1}$
	1^{-1} , $\frac{1}{2}$, $\sqrt{\chi^2}-1$	$\sum_{i} \frac{1}{x_i} \sqrt{x^2+1}$

	$C) \perp 1$	$D) \perp 1$
	C) $\pm \frac{1}{\sqrt{(x^2+1)}}$	D) $\pm \frac{1}{\sqrt{(x^2-1)}}$
18)		
	A) $\frac{e^{x}+e^{-x}}{e^{x}-e^{-x}}$ C) $\frac{e^{x}+e^{-x}}{2}$	B) $\frac{e^{x}-e^{-x}}{e^{x}+e^{-x}}$ D) $\frac{e^{x}-e^{-x}}{2}$
	$\frac{e^{x}-e^{-x}}{e^{x}+e^{-x}}$	$\begin{array}{c c} - & e^x + e^{-x} \\ & e^x - e^{-x} \end{array}$
	$C)\frac{c-c}{2}$	$D)\frac{c-c}{2}$
19)	Derivative of <i>sin2x</i>	
	A) $cos2x$	B) - cos2x
	C) 2cos2x	D) -2cos2x
20)	Derivative of $-e^{-x}$ is	
	A) e^{-x}	$B) -e^{-x}$
	C) <i>e</i> ^{<i>x</i>}	$D) -e^x$
21)	The stationary points of function $f(x)$	$(x) = x^2 + 2x + 3$ is
	A) 1	B) -1
	C) 2	D) 0, -2
22)	The stationary points of function $f(x)$	$(x) = x^3 + 2x^2$ is
	A) 1	B) 4/3
	C) $0, -4/3$	D) None of these
23)	The stationary points of function $f(x)$	$(x) = x^3 - 2x^2$ is
	A) 1	B) $-4/3$
	C) 0,4/3	D) None of these
24)	The stationary value of function $f(x)$	$0 = x^2 + 2x + 3$ is
	A) -2	B) 11
	C) 2	D) -11
25)	The stationary value of function $f(x)$	$= x^3 + 2x^2$ at largest stationary point
	is	
	A) 32/27	B) 160/27
	C) -32/27	D) 0
26)	The stationary value of function $f(x)$	$= x^3 - 2x^2$ at smallest stationary point
	is	
	A) 32/27	B) 160/27
	C) -32/27	D) 0
27)	Derivative of the function $f(x)$ is give	en by the formula $f'(x) =$

	A) $\frac{f(x+h)-f(x)}{h}$	B) $\lim_{h\to 0} \frac{f(x+h)-f(x)}{h}$	
	A) $\frac{f(x+h)-f(x)}{h}$ C) $\lim_{h\to 0} \frac{f(x+h)+f(x)}{h}$	D) None of these	
28)	$\frac{d}{dx}(u+v) =$		
	A) $\frac{d}{dx}(u) + \frac{d}{dx}(v)$	$B)\frac{d}{dx}(v) + \frac{d}{dx}(u)$	
	$C)\frac{d}{dx}(u) - \frac{d}{dx}(v)$	D) Both A) and B)	
29)	C) $\lim_{h\to 0} \frac{\frac{d}{dx}(u+v) =}{h}$ $\frac{\frac{d}{dx}(u+v) =}{h}$ A) $\frac{\frac{d}{dx}(u) + \frac{d}{dx}(v)}{C}$ C) $\frac{\frac{d}{dx}(u) - \frac{d}{dx}(v)}{dx}(u-v) =$ A) $v \cdot \frac{\frac{d}{dx}(u) + u \cdot \frac{d}{dx}(v)}{dx}(v)$ C) $\frac{\frac{d}{dx}(u) - \frac{d}{dx}(v)}{dx}(v) =$ A) $\frac{\frac{d}{dx}(af(x)) =}{h}$ A) $\frac{\frac{d}{dx}(af(x))}{h}$ C) $\frac{d}{dx}(u) + \frac{d}{dx}(v)$		
	A) $v \cdot \frac{d}{dx}(u) + u \cdot \frac{d}{dx}(v)$	B) $u \cdot \frac{d}{dx}(v) + v \cdot \frac{d}{dx}(u)$	
	C) $\frac{d}{dx}(u) - \frac{d}{dx}(v)$	D) Both A) and B)	
30)	$\frac{d}{dx}(af(x)) =$		
	A) $\frac{d}{dx}(f(x))$	B) $a \cdot \frac{d}{dx}(f(x))$	
	C) 0	D) None of these	
Ans	Answer the following questions: [2 Mai		·ks]
1)	Write the derivatives of $sinx$ and $cosx w.r.t.x$.		
2)	Write the derivative of $tanx$ and $cotx w.r.t.x$.		
3)	Write the derivative of $cosecx$ and $secx w.r.t.x$.		
4)	Find the derivative of $sinx + cosx w.r.t.x$.		
5)	Find the derivative of $x^2 - 2e^x w.r.t.x$.		
6)	Find the derivative of x^2 . $sin x w. r. t. x$.		
7)	Find the derivative of $\frac{e^x}{x^3}$ w. r. t. x.		
8)	State Roll's theorem.		
9)	State langrage's Mean Value theorem.		
10)	Write formulae of <i>sinhx</i> and <i>coshx</i> .		
11)	Find the stationary points of function $f(x) = x^2 + 2x + 3$.		
12)	Find the stationary points of function $f(x) = x^3 + 2x^2$.		
13)	Find the stationary points of function	$f(x) = x^3 - 2x^2$	
Ans	wer the following questions:	[4 Mar	·ks]
1)	Find the derivative of hyperbolic function $y = \sinh x \ w.r.t.x$.		
2)	Find the derivative of hyperbolic fund	etion $y = coshx \ w.r.t.x$.	

- 3) Find the derivative of hyperbolic function $y = sinh^{-1}x \ w.r. \ t.x$.
- 4) Find the derivative of hyperbolic function $y = cosh^{-1}x$ w. r. t. x.
- 5) Find the derivative of hyperbolic function $y = tanh^{-1}x$ w.r.t.x.
- 6) Find the derivative of hyperbolic function $y = coth^{-1}x$ w.r.t.x.
- 7) Find the derivative of hyperbolic function $y = cosech^{-1}x$ w.r.t.x.
- 8) Find the derivative of hyperbolic function $y = sech^{-1}x$ w. r. t. x.
- 9) Find the stationary points and values of function $f(x) = x^2 + 2x + 3$.
- 10) Find the stationary points and values of function $f(x) = x^3 2x^2$.

Answer the following questions:

[8 marks]

- 1) Find the derivative of hyperbolic function $y = tanhx \ w.r.t.x$.
- 2) Find the derivative of hyperbolic function $y = cothx \ w.r.t.x$.
- 3) Find the derivative of hyperbolic function $y = cosechx \ w.r. \ t. \ x$.
- 4) Find the derivative of hyperbolic function $y = sechx \ w. \ r. \ t. \ x$.
- 5) Find the derivative of logarithmic function $y = x^{sinx} w.r.t.x$.
- 6) Find the derivative of logarithmic function $y = x^{tanx} w.r.t.x$.
- 7) Find the derivative of logarithmic function $y = \log(\sin x) w.r.t.x$.
- 8) Find the derivative of logarithmic function e^{sinx} w.r.t.x.
- 9) Find the derivative of logarithmic function log(log x) w.r.t.x.
- 10) Find the derivative of logarithmic function $\sin(e^x)$ w.r.t.x.
- 11) Find maxima and minima of function $f(x) = x^2 + 1$.
- 12) Find maxima and minima of function $f(x) = x^3 12x + 15$.
- 13) Find maxima and minima of function $f(x) = 2x^2 4x + 100$.
- 14) Find maxima and minima of function $f(x) = 2x^3 6x + 1$.
- Verify whether Roll's theorem is applicable or not for function $f(x) = x^2 + 3x 5; x \in [0,1].$
- Verify whether Roll's theorem is applicable or not for function $f(x) = x + 3; x \in [2,5].$
- 17) Verify whether Roll's theorem is applicable or not for function $f(x) = x^2 + 3; x \in [-2,2].$
- 18) Verify whether Roll's theorem is applicable or not for function $f(x) = x^4 + 3x^2 + 1; x \in [-1,1]$
- 19) Apply Langrage's Mean Value theorem for function $f(x) = x^3 1$.

20)	Apply Langrage's Mean Value theorem for function
	$f(x) = x^4 - 5x^2 - 11.$

Questions Bank

B.VOC. -I, Semester-II

Subject: Mathematics-I (MM-1131)

Unit-II

	Unit-11				
Mu	Multiple Choice Questions:				
1)	g.c.d.(108,12) =				
	A) 12	B) 108			
	C) 36	D) None of these			
2)	g.c.d.(100,25) =				
	A) 100	B) 25			
	C) 50	D) None if these			
3)	g.c.d.(172,20) =				
	A) 172	B) 20			
	C) 4	D) None of these			
4)	g.c.d.(996,24) =				
	A) 996	B) 24			
	C) 12	D) None of these			
5)	g.c.d.(225,9) =				
	A) 225	B) 9			
	C) 3	D) None of these			
6)	g.c.d.(730,15) =				
	A) 730	B) 5			
	C) 15	D) None of these			
7)	g.c.d.(970,22) =				
	A) 970	B) 2			
	C) 22	D) None of these			
8)	l.c.m.(25,27) =				
	A) 25	B) 27			
	C) 675	D) 1			
9)	l.c.m.(32,6) =				
	A) 32	B) 6			

	C) 192	D) 96
10)	l.c.m.(100,25) =	
	A) 100	B) 25
	C) 50	D) None of these
11)	l.c.m.(26,884) =	
	A) 26	B) 884
	C) 442	D) None of these
12)	Which of the following is true?	
	$A) 2 \equiv 1 \pmod{3}$	$B) 1 \equiv 2 \pmod{3}$
	C) $3 \equiv 2 \pmod{2}$	$D) 2 \equiv 2 \pmod{3}$
13)	Which of the following is not true?	
	$A) \ 3 \equiv 3 (mod \ 3)$	$B) 6 \equiv 3 \pmod{3}$
	C) $25 \equiv 4 \pmod{3}$	$D) 3 \equiv 1 \pmod{3}$
14)	Which of the following is true?	
	A) $g.c.d.(a,b) \times l.c.m.(a,b) = a$	
	B) $g.c.d.(a,b) + l.c.m.(a,b) = a \times b$	
	C) $g.c.d.(a,b) \times l.c.m.(a,b) = a \times b$	
	D) $g.c.d.(a,b) = a \times b$	
15)	Which of the following is true?	
	$A) a \equiv a \pmod{n}$	
	$B) a^2 \equiv a^2 (mod n)$	
	$C) 100 \equiv 100 \pmod{5}$	
	D) All	
16)	Let, $a \equiv b \pmod{n}$ then	
	$A) b \equiv a (mod n)$	B) $n a-b$
	C) $n b-a$	D) All
17)	Let, $a \equiv b \pmod{n}$ and $b \equiv c \pmod{n}$ then	
	$A) a \equiv c (mod n)$	$B) c \equiv a(mod n)$
	C) Both A) and B)	D) None of these
18)	Let, $a \equiv b \pmod{n}$ and $c \equiv d \pmod{n}$	
	$A) a + d \equiv c + b \pmod{n}$	$B) c + b \equiv a \pmod{n}$
	C) $a + c \equiv b + d \pmod{n}$	D) None of these
19)	Let, $a \equiv b \pmod{n}$ and $c \equiv d \pmod{n}$	n) then

	A) $ad \equiv cb \pmod{n}$	B) $cb \equiv a \pmod{n}$
	C) $ac \equiv bd \pmod{n}$	D) None of these
20)	Let, $a \equiv b \pmod{n}$ then which of the	following is not true?
	$A) b \equiv a (mod n)$	B) $a^2 \equiv a^2 \pmod{n}$
	C) $a^2 \equiv b^2 \pmod{n}$	D) $a^2 \equiv b \pmod{n}$
21)	Let, $g.c.d.(a,b) = 2$ and $l.c.m.(a,b) = 2$	b) = 4 then $a.b =$
	A) 2	B) 4
	C) 6	D) 8
22)	Let, $g.c.d.(a,b) = 2$ and $l.c.m.(a,b) = 2$	(b) = 4 then $a.b =$
	A) 2	B) 4
	C) 6	D) 8
23)	Let, $g.c.d.(a,b) = 2$ and $l.c.m.(a,b) = 2$	(b) = 60 then $a.b =$
	A) 2	B) 60
	C) 120	D) 80
24)	Let, $g.c.d.(a,b) = 1$ and $l.c.m.(a,b) = 1$	(b) = 900 then a.b =
	A) 1	B) 900
	C) 6	D) 800
25)	How many distinct prime factors of 1	000.
	A) 2	B) 3
	C) 4	D) 5
26)	How many distinct prime factors of 9	96.
	A) 2	B) 3
	C) 4	D) 5
27)	How many distinct prime factors of 3	
	A) 2	B) 3
20)	C) 4	D) 1
28)	How many distinct prime factors of 7.	
	A) 2	B) 3
• • • • • • • • • • • • • • • • • • • •	C) 4	D) 5
29)	Which of the following pairs are relat	ı
	A) (2,100)	B) (7,14)
20)	C) (12,36)	D) (8,9)
30)	Which of the following pairs are not r	• •
	A) (2,100)	B) (7,14)

 Answer the followings: 1) If a ≡ b(mod n) then show that b ≡ a(mod n) 2) Find Unique Factorization of 1000. 3) Show that a ≡ a(mod n). 4) Find Unique Factorization of 1224. 5) Find Unique Factorization of 625. 	[2 Marks]	
 Find Unique Factorization of 1000. Show that a ≡ a(mod n). Find Unique Factorization of 1224. Find Unique Factorization of 625. 	L	
 3) Show that a ≡ a(mod n). 4) Find Unique Factorization of 1224. 5) Find Unique Factorization of 625. 		
4) Find Unique Factorization of 1224.5) Find Unique Factorization of 625.	Find Unique Factorization of 1000.	
5) Find Unique Factorization of 625.		
, <u> </u>		
6) Find Unique Factorization of 4276.		
7) Find Unique Factorization of 265.		
8) Find <i>l. c. m.</i> (946,24).		
9) Find <i>l. c. m.</i> (648,38).		
10) Find <i>g. c. d.</i> (86,56).		
11) Find <i>g. c. d.</i> (49,94).		
12) Define $g. c. d.$ of two integers.		
13) Define <i>l. c. m.</i> of two integers.		
14) Define relatively prime numbers.		
15) State Fermat's Theorem.		
Answer the followings:	[4 Marks]	
1) Find $g. c. d$ using division algorithm and also $l. c. m$ of 172 & 20.		
2) If $a \equiv b \pmod{n}$ and $b \equiv c \pmod{n}$ then show that $a \equiv c \pmod{n}$	n)	
3) Define the relatively prime numbers. Check whether $a = 10$, $b =$	50 are	
relatively prime or not.		
4) Find g. c. d using division algorithm and also l. c. m of 172 & 20.		
5) If $a \equiv b \pmod{n}$ then show that $a^2 \equiv b^2 \pmod{n}$.		
6) Define the relatively prime numbers. Check whether $a = 19, b =$	10 are	
relatively prime or not.		
7) Find g. c. d using division algorithm and also l. c. m of 100 & 20.		
8) Find g. c. d. using division algorithm and also l. c. m. of 996 & 24		
9) Find g. c. d. using division algorithm and also l. c. m. of 225 & 9.		

10)	10) Find g. c. d. using division algorithm and also l. c. m. of 100 & 25.		
11)	Find $g.c.d.$ using division algorithm	n and also <i>l. c. m.</i> of 32 & 6.	
12)	Define the relatively prime numbers	c. Check whether $a = 144$, $b = 169$ are	
	relatively prime or not.		
13)	Define the relatively prime numbers	s. Check whether $a = 225$, $b = 121$ are	
	relatively prime or not.		
Ans	swer the followings:	[8 Marks]	
1)	If $a \equiv b \pmod{n}$ and $c \equiv d \pmod{n}$	a) then	
	$i) a + c \equiv b + d \pmod{n}$ and $ii) a$	$ac \equiv bd \pmod{n}$.	
2)	Verify $g. c. d(a, b). l. c. m(a, b) = a$	a.b. where, a = 26 and b = 12.	
3)	Verify $g.c.d(a,b) \times l.c.m(a,b) =$	= a.b where, a = 125 and b = 900.	
4)	Verify $g.c.d(a,b) \times l.c.m(a,b) =$	= a.b where, a = 153 and b = 639.	
5)	If $a \equiv b \pmod{n}$ then		
	$i) a + c \equiv b + c \pmod{n}$ and $ii) a$	` ,	
6)	Find the value of $(103)^{444} (mod \ 11)^{444}$	•	
7)	Find the value of $(57)^{101} (mod 5)$ u	using Fermat's Theorem.	
Questions Bank			
	_	Semester-II	
Subject: Mathematics-I (MM-1131)			
Unit-III			
Multiple Choice Questions:			
1)	Let, $z = a + ib$; $a, b \in \mathbb{R}$ and $b = 0$	then z is purely	
	A) Real	B) Imaginary	
	C) Integer	D) None of these	
2)	Let, $z = a + ib$; $a, b \in \mathbb{R}$ and $a = 0$ then z is purely		
	A) Real	B) Imaginary	
	C) Integer	D) None of these	
3)	Let, $z_1 = 2 + 3i$ and $z_2 = 3 + 2i$ the	$z_1 + z_2 = $	
	A) $5 + 5i$	B) $5 + 3i$	
	C) 3 + 5 <i>i</i>	D) None of these	
4)	Let, $z_1 = 4 - i$ and $z_2 = -3 - i$ the	$n z_1 + \overline{z_2} =$	
	Δ) 1 + 2 <i>i</i>	(R) -1 + 2i	

B) -1 + 2i

D) None of these

A) 1 + 2i

C) 1 - 2i

5)	Let, $z_1 = -2 - 5i$ and $z_2 = -3 - 10i$ then $z_1 - z_2 =$	
	A) $1 + 15i$	B) $1 - 10i$
	C) $-1 + 5i$	D) $1 + 5i$
6)	Let, $z_1 = 8 - 25i$ and $z_2 = -8 + 10$	Oi then $z_1 - z_2 =$
	A) $16 + 15i$	B) $16 - 35i$
	C) $-15i$	D) $-16 + 35i$
7)	Let, $z_1 = 12 + i$ and $z_2 = 1 + 10i$ t	hen $z_1.z_2 =$
	A) $2 + 121i$	B) $-2 + 121i$
	C) 2 – 121 <i>i</i>	D) $-2 - 121i$
8)	Let, $z_1 = -2 + 3i$ and $z_2 = 4 - 5i$	then $z_1. z_2 =$
	A) $-7 + 22i$	B) $7 - 22i$
	C) $-7 - 22i$	D) 7 + 22 <i>i</i>
9)	Let, $z_1 = 4 - 20i$ and $z_2 = 2$ then z	$z_1/z_2 =$
	A) $2 + 10i$	B) $2 - 10i$
	C) $-2 + 10i$	D) $-2 - 10i$
10)	Let, $z_1 = 2 + 3i$ and $z_2 = 4 + 3i$ the	$z_1/z_2 =$
	A) $\frac{23-2i}{25}$	B) $\frac{23+2i}{25}$
	C) $\frac{-23-2i}{25}$	D) $\frac{23+2i}{25}$
11)		
11)	Let, $z_1 = 2 + 3i$ and $z_2 = -2 + 3i$	
	A) Real	B) Imaginary
12)	C) Integer	D) None of these
12)	Let, $z_1 = 7.2 + 3i$ and $z_2 = 6.9 + 3$	
		B) Imaginary
12)	C) Integer	D) None of these
13)	Let, $z_1 = 7$ and $z_2 = 3.3i$ then $z_1.z_2$	
	A) Real	B) Imaginary D) None of those
14)	C) Integer	D) None of these
14)	Let, $z_1 = 8i$ and $z_2 = -2i$ then z_1 . z_2 A) Real	
	,	B) Imaginary D) Roth A) and C)
15)	C) Integer Let, $z = a + ib$ then $\bar{z} =$	D) Both A) and C)
13)		P = a - ib
	A) z = -a + ib	B) z = a - ib

	C) $z = a + ib$	D) $z = -a - ib$
16)	Let, $z = -3 + 5i$ then $\bar{z} =$	
10)	A) z = -3 + i5	B) z = 3 - 5i
	C) z = 3 + 5i	D) z = -3 - 5i
17)	Let, $z = -35i$ then $\bar{z} =$	D) 2 3 3t
11)	A) z = -35i	B) $z = 35$
	C) $z = 35i$	D) $z = -35$
18)	Let, $z = -13$ then $\bar{z} =$	2)2 30
10)	A) $z = -13$	B) $z = 13$
	C) $z = 13i$	D) $z = -13i$
19)	Let $z = a + ib$ is a complex number	,
	A) Real Numbers	B) Complex Numbers
	C) Rational Numbers	D) None of these
20)	,	where $a, b \in \mathbb{R}$ then it is represented as
	point	.
	A)(b,a)	B) (-a, b)
	C)(a,b)	D(-b,a)
Ans	nswer the following: [2 Marks]	
1)	If $z_1 = 12 - 3i$ and $z_2 = -2 + 75i$ then find $z_1 + z_2$.	
2)	If $z_1 = 22 - 3i$ and $z_2 = -4 + 35i$ then find $z_1 - z_2$.	
3)	If $z_1 = 2 + 3i$ and $z_2 = 4 + 5i$ then find $z_1 \cdot z_2$.	
4)	If $z_1 = 1 + i$ and $z_2 = -4 + 3i$ then find z_1/z_2 .	
5)	If $z = a + ib$ then find \bar{z} .	
6)	If $z = 2 - 3i$ then find \bar{z} .	
7)	If $z = 100$ then find \bar{z} .	
8)	If $z = -54i$ then find \bar{z} .	
9)	Define complex number.	
Ans	nswer the following: [4 Marks]	
1)	If $z_1 = 7 - 3i$ and $z_2 = -52 + 75i$ then find $z_1 + z_2$ and $z_1 - z_2$.	
2)	If $z_1 = -3i$ and $z_2 = -75i$ then find $z_1 + 2i$	
3)	If $z_1 = 2 - 5i$ and $z_2 = -1 + i$ then find	
4)	If $z_1 = 9 - i$ and $z_2 = -52 - 5i$ then find $z_1 - z_2$ and $z_1 \cdot z_2$.	
5)	If $z_1 = 1 + 7i$ and $z_2 = -2 + 5i$ then find $z_1 - z_2$ and z_1/z_2 .	

Questions Bank B.VOCI, Semester-II Subject: Mathematics-I (MM-1131) Unit-IVMultiple Choice Questions:1)Order of differential equation of the family is equal to A) Number of Linearly independent variables B) Number of linearly dependent variables C) Number of linearly dependent or independent variables D) None of these2)Order of differential equation of the family is equal to A) Number of Linearly independent variables B) Number of linearly dependent variables C) Number of arbitrary constants D) None of these3)Ordinary differential equation corresponding to $y = Asin2x$ where A is constant is A) $2y = y'tan2x$ B) $y = y'tan2x$ C) $y = 2y'tan2x$ D) All4)Ordinary differential equation corresponding to $y = Ae^{Bx}$ where A & B an arbitrary constants is A) $y'^2 = y''$ C) $y'^2 = -y''$ B) $yy'^2 = yy''$ C) $y'^2 = -y''$ D) $y'^2 = yy''$ S) Let, $\alpha_1 and$ α_2 are two distinct real roots then complementary function is A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$ D) None of these.6)Let, $\alpha_1 and$ α_2 are two distinct real equal roots then complementary function B) $A\alpha_1 + Be^{\alpha_2}$ D) None of these.							
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 4) Ordinary differential equation corresponding to y = Ae^{Bx} where A & B are arbitrary constants is A) y'² = y" B) yy'² = y" C) y'² = -y" D) y'² = yy" Let, α₁ and α₂ are two distinct real roots then complementary function is A) Ae^{α₁} B) Aα₁ + Be^{α₂} C) Ae^{α₁} + Be^{α₂} D) None of these. 6) Let, α₁ and α₂ are two distinct real equal roots then complementary function A) Ae^{α₁} B) Aα₁ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₁ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₃ + Be^{α₂} B) Aα₂ + Be^{α₂} B) Aα₃ + Be^{α₂} B) Aα₃ + Be^{α₂} B) Aα₄ + Be^α							
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C) $y'^2 = -y''$ D) $y'^2 = yy''$ 5) Let, $\alpha_1 and \alpha_2$ are two distinct real roots then complementary function is A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$ C) $Ae^{\alpha_1} + Be^{\alpha_2}$ D) None of these. 6) Let, $\alpha_1 and \alpha_2$ are two distinct real equal roots then complementary function A Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$							
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A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$ C) $Ae^{\alpha_1} + Be^{\alpha_2}$ D) None of these. 6) Let, $\alpha_1 and \alpha_2$ are two distinct real equal roots then complementary function A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$							
C) $Ae^{\alpha_1} + Be^{\alpha_2}$ D) None of these. 6) Let, $\alpha_1 and \alpha_2$ are two distinct real equal roots then complementary function A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$							
6) Let, α_1 and α_2 are two distinct real equal roots then complementary function A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$							
A) Ae^{α_1} B) $A\alpha_1 + Be^{\alpha_2}$							
, , <u>, , , , , , , , , , , , , , , , , </u>	on is						
C) $(A + Bx)e^{\alpha_1}$ D) None of these.							
7) Let, $\alpha \pm i\beta$ are two complex roots then complementary function is							
A) $A\cos\alpha x + B\sin\beta x$ B) $A\cos\alpha x + B\sin\alpha x$							
C) $Asin\beta x + Bcox$ D) None of these							

8)	Linear differential equation has degree			
	A) one	B) two		
	C) can't say anything	D) None of these		
9)	In linear differential equation there is r	no product of		
	A) derivative terms	B) independent variables		
	C) derivative terms and independent Variables	D) All		
10)	Ordinary differential equation contains			
	A) one or more independent variables	B) one or more dependent variables		
	C) Both A) and B)	D) None of these		
11)	Ordinary differential equation contains			
	A) single dependent variables	B) single independent variables		
	C) Both A) and B)	D) None of these		
12)	In linear differential equation there is prevariables should be	power of derivatives and dependent		
	A) one	B) two		
	C) can't say anything	D) None of these		
13)				
	A) one	B) two		
	C) three	D) four		
14)	Let, $\frac{1}{D+3}e^{x} =$ $A) \frac{1}{4}$			
	A) $\frac{1}{4}$	$B) \frac{1}{4} e^{-x}$		
	$C)\frac{1}{4}e^{x}$	D) $-\frac{1}{4}$		
15)	Let, $\frac{1}{D^2 - D + 4} e^{-2x} =$			
	A) $\frac{1}{10}$	B) $\frac{1}{10} e^{-2x}$ D) $\frac{-1}{10} e^{-2x}$		
	C) $-\frac{1}{10}$	D) $\frac{-1}{10} e^{-2x}$		
16)	Laplace transform of {1} is			
-	A) 1	$B)\frac{1}{p}$		
	C) p	D) None of these		

Laplace transform of $\{t^2\}$ is			
A) p^2	$B)\frac{1}{t^2}$		
$C)\frac{1}{n^2}$	D) None of these		
A) $\frac{a}{p^2 + a^2}$	$B) \frac{a}{p^2 - a^2}$		
$C) \frac{p}{p^2 + a^2}$	B) $\frac{a}{p^2 - a^2}$ D) $\frac{p}{p^2 - a^2}$		
Laplace transform of {sinhat} is			
A) $\frac{a}{v^2 + a^2}$	B) $\frac{a}{v^2-a^2}$		
C) $\frac{p}{p^2+a^2}$	B) $\frac{a}{p^2 - a^2}$ D) $\frac{p}{p^2 - a^2}$		
	<u> </u>		
$A)\frac{a}{p^2+a^2}$	B) $\frac{a}{p^2 - a^2}$ D) $\frac{p}{p^2 - a^2}$		
C) $\frac{p}{p^2+a^2}$	$D)\frac{p}{p^2-a^2}$		
	r ·		
$A)\frac{a}{v^2+a^2}$	B) $\frac{a}{p^2 - a^2}$ D) $\frac{p}{p^2 - a^2}$		
C) $\frac{p}{p^2+a^2}$	D) $\frac{p}{p^2-a^2}$		
	F ···		
$A)\frac{1}{v+a}$	$B) \frac{1}{p-a}$		
$C)\frac{1}{n}$	D) None of these		
Laplace transform of $\{f(t) + g(t)\}$ is			
A) $L\{f(t)\} + L\{g(t)\}$	B) $L\{f(t)\} - L\{g(t)\}$		
	D) None of thses		
Laplace transform of $\{te^t\}$ is			
A) $\frac{1}{p-1}$	B) $\frac{1}{(p-1)^2}$		
C) $\frac{-1}{(p-1)^2}$	$D)\frac{-1}{p-1}$		
Laplace transform of $\{t^n\}$ is			
$A) \frac{(n-1)!}{p^{n+1}}$	B) $\frac{(n+1)!}{p^{n+1}}$		
	A) p^2 C) $\frac{1}{p^2}$ Laplace transform of $\{sinat\}$ is A) $\frac{a}{p^2+a^2}$ C) $\frac{p}{p^2}$ Laplace transform of $\{sinhat\}$ is A) $\frac{a}{p^2+a^2}$ Laplace transform of $\{sinhat\}$ is A) $\frac{a}{p^2+a^2}$ C) $\frac{p}{p^2+a^2}$ Laplace transform of $\{cosat\}$ is A) $\frac{a}{p^2+a^2}$ C) $\frac{p}{p^2+a^2}$ Laplace transform of $\{coshat\}$ is A) $\frac{a}{p^2+a^2}$ C) $\frac{p}{p^2+a^2}$ Laplace transform of $\{e^{at}\}$ is A) $\frac{1}{p+a}$ C) $\frac{1}{p}$ Laplace transform of $\{f(t) + g(t)\}$ is A) $L\{f(t)\} + L\{g(t)\}$ C) $L\{f(t)\}.L\{g(t)\}$ Laplace transform of $\{te^t\}$ is A) $\frac{1}{p-1}$ C) $\frac{-1}{(p-1)^2}$ Laplace transform of $\{t^n\}$ is		

	$C \sim 1/(n+1)$	D) None of these		
20	C) $n!/p^{n+1}$	D) None of these		
26)				
	$A) - \frac{a}{dp}(f(p))$	$B)\frac{d}{dp}\big(f(p)\big)$		
	A) $-\frac{d}{dp}(f(p))$ C) $-\frac{d}{dp}(p)$	D) None of these		
27)	Differential equation contains			
	A) derivative terms	B) one or more dependent variables		
	C) one or more independent variables	D) All		
28)	Let, $\frac{1}{D^2-3}e^{3x} =$			
	Let, $\frac{1}{D^2-3} e^{3x} =$ A) $\frac{1}{6}$ C) $\frac{1}{6} e^{3x}$	B) $-\frac{1}{6}$		
	$C)\frac{1}{6}e^{3x}$	B) $-\frac{1}{6}$ D) $-\frac{1}{6}e^{3x}$		
29)	Laplace transform of $\{2t + 1\}$ is			
	A) $\frac{2}{n^2} + \frac{1}{n}$	B) $\frac{2}{p^2} - \frac{1}{p}$ D) $\frac{1}{p^2} - \frac{2}{p}$		
	A) $\frac{2}{p^2} + \frac{1}{p}$ C) $\frac{1}{p^2} + \frac{2}{p}$	D) $\frac{1}{x^2} - \frac{2}{x}$		
30)	Laplace transform of $\{cos2t\}$ is	<i>p</i> ² <i>p</i>		
30)	A) $\frac{2}{p^2+4}$ C) $\frac{p}{p^2+4}$	$B) \frac{2}{p^2 - 4}$ $D) \frac{p}{p^2 - 4}$		
	p^2+4	p^2-4		
	$(C) \frac{r}{p^2+4}$	D) $\frac{r}{p^2-4}$		
Ans	wer the following questions:	[2 marks]		
1)	Define Differential Equation.			
2)	Define Ordinary Differential Equation.	•		
3)	Define linear differential equation.			
4)	Solve the differential equation $(D^3 - I)$	$D^2 + D - 1)y = 0.$		
5)	Solve the differential equation $(D^3 - I)$	$D^2 + 4D - 4)y = 0.$		
6)	Solve the differential equation $(D^2 + 1)$	1)y = 0.		
7)	Solve the differential equation $(D^2 - 2)$	(2D+1)y=0.		
8)	Find Ordinary differential equation con	cresponding to $y = A \sin 2x$ where A is		
	constant.			
9)	Find $L\{e^{at}\}$ and $L\{e^{-5t}\}$.			
10)	Find $L\{sinat\}$ and $L\{sin2t\}$.			

Find $L\{sinhat\}$ and $L\{sinh2t\}$.
Find $L\{coshat\}$ and $L\{cosh2t\}$.
Find $L\{cosat\}$ and $L\{cos2t\}$.
Find $L\{t^n\}$ and $L\{t^4\}$.
Find $L\{tf(t)\}$ and $L\{te^{2t}\}$
ver the following questions: [4 Marks]
Find ordinary differential equation corresponding to $y =$
Ae^{Bx} where $A \& B$ are arbitrary constants.
Find Ordinary differential equation corresponding to $y = Asin2x +$
$B\cos 2x$ where A, B are constant.
Find Ordinary differential equation corresponding to $y = (x - a)^2 + (y - b)^2$
where a , b are contants.
Find Laplace transformation of $1 + t^2 + \frac{t^4}{12}$.
Find Laplace transformation of $1 + t^2 + \frac{t^4}{12}$. Find Laplace transformation of $t^2 + \frac{t^4}{12}$. Find Laplace transformation of $\frac{1}{2} - 2e^{-t} + \frac{5}{2}e^{-2t}$.
Find Laplace transformation of $\frac{1}{2} - 2e^{-t} + \frac{5}{2}e^{-2t}$.
ver the following questions: [8 Marks]
Find the solution of $(D^2 + 4D + 4)y = sinhx$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{-x}$ Find the solution of $(D^2 - 9)y = cosh2x$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{-x}$. Find the solution of $(D^2 - 9)y = cosh2x$. Find the solution of $(D^2 - 2D + 1)y = 1$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{-x}$. Find the solution of $(D^2 - 9)y = cosh2x$. Find the solution of $(D^2 - 2D + 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{4x}$.
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{-x}$. Find the solution of $(D^2 - 9)y = cosh2x$. Find the solution of $(D^2 - 2D + 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{4x}$. Find Laplace transformation of i $e^{-7t} + sinh2t$ and ii i i i i i i i i i
Find the solution of $(D^2 + 4D + 4)y = sinhx$. Find the solution of $(D^2 - 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{-x}$. Find the solution of $(D^2 - 9)y = cosh2x$. Find the solution of $(D^2 - 2D + 1)y = 1$. Solve the differential equation $(D^2 - 3D + 2)y = e^{4x}$.

Question Bank

VS 322: Web Designing (HTML/CSS)

Que .Answer the following [8 Marks]

- 1. Explain Structure of HTML program?
- 2. Explain tag with attribute & p; example in brief.
- 3. Explain all heading tags in html with attribute and example.
- 4. Explain list tag with its type and example.
- 5. What is the formatting tag? Explain with example.
- 6. What are the advantages of HTML?
- 7. Explain Table tag with all the attributes and example
- 8. What is Style sheet? Explain Inline Style sheet.
- 9. C) Explain Basic elements of HTML program.
- 10. Write the HTML program for create list and display ordered list & unordered list.
- 11.Explain input tag
- 12. Explain Disadvantages of HTML
- 13. Explain how to organize text using DIV tag? Explain with example.
- 14.Define Form. Write a HTML code for creating a registration form by covering all the input
- 15. Write an example for internal style sheet
- 16. What are the formatting tags? Explain with example.
- 17. What are the advantages of HTML?
- 18. Write the HTML program for create list and display ordered list & tunordered list.
- 19. Explain input type in HTML
- 20.Explain Disadvantages of HTML
- 21. How to create a table in HTML. Explain with example.
- 22. Explain Div. tag with example
- 23.Define Form. Write a HTML code for creating a registration form by covering all the input
- 24. What is CSS? Explain all type with example?
- 25.Explain any 5 basic tags used in HTML with example.
- 26. Why we use HTML for Webpage creation?
- 27. Explain Marquee tag in brief.

- 28. Explain the Structure of HTML.
- 29. Create a web page some links to various search engines (google, yahoo etc)

Answer the following question [2 Marks]

- 1. What is Webpage?
- 2. What is HTML?
- 3. Why HTML called Markup language?
- 4. What is tag?
- 5. What is stylesheet?
- 6. Define $\langle h1 \rangle$ tag.
- 7. What attribute is used for changing background color of web page?
- 8. What is JPEG?
- 9. What is Website?
- 10. What is cellspacing?
- 11. What is cellpadding?
- 12. What is
br> tag?
- 13. What is colspan?
- 14. Define rowspan?
- 15. What is Unorderd list?
- 16. What is a frame?
- 17. List any four common browers?
- 18. List and explain any two html elements?
- 19. What are HTML forms?
- 20. What is
 tag?
- 21. What is colspan?
- 22. Define rowspan?
- 23. What is Unorderd list?
- 24. What is a frame?

Answer the following [4 marks]

- 1. Write a Short note on frameset tag.
- 2. What is Hyperlink? How they are created?
- 3. Explain Applications of HTML.

- 4. Create a Webpage with a link at the top of it that when clicked will jump to the next page.
- 5. Create a webpage Display an image that has a border of size 2, a width of 200, and a height of 200.
- 6. Create a webpage Print some deleted and inserted text of your choosing.
- 7. Create a web page that Print two lists with any information you want. One list should be an ordered list, the other list should be an unordered list.
- 8. Create a webpage and set its title to " This is a webpage "
- 9. create a webpage for a paragraph & amp; use all formatting tag on it
- 10. Create a web page of your college with following specifications Place your College name at the top of the page in large text followed by address in smaller size Add names of courses offered each in a different color, style and typeface Add scrolling text with a message of your choice Add college image at the bottom

$\textbf{B.Voc.I Software Development (Semester- II\) Examination}$

Database Management System (VS 323)

Subject Code: 80029 Ouestion Bank

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Q.1) Answer the following questions.

[2 marks]

- 1. What is Database Management System?
- 2. What do you understand by the term Normalization?
- 3. Enlist any four constraints used in DBMS.
- 4. Explain Primary Key and foreign key in short.
- 5. Explain the concept of tabular data.
- 6. What are the different four languages used in DBMS?
- 7. Write down the full form of data languages DML, DQL, DCL, DDL.
- 8. What do you understand by the term DBMS?
- 9. What is Normalization?
- 10. Define Primary Key.
- 11. Write down a query to create table.
- 12. Enlist any four data models in short.
- 13. What is database?
- 14. Explain Super Key.
- 15. Explain the components of table.
- 16. Define Normalization and its forms.
- 17. Write down a query to create table with four columns
- 18. What is constraint?
- 19. Explain SQL.
- 20. Explain queries to insert a records.

Q.2) Answer the following questions

[6 marks]

- 1. Explain the components of database in detail?
- 2. What are the components of E-R diagram? Explain them in detail.
- 3. What are the types of relationship? Explain many to many relationship in detail with example.
- 4. Write down a query to create a table named student info and insert three records in it.
- 5. Explain the relational data model in detail.
- 6. Difference between DBMS and RDBMS
- 7. Enlist and explain any four SQL Datatypes
- 8. Explain in detail the DDL SQL command.
- 9. Explain the Arithmetic operators in database.
- 10. Write down a query for retrieval of record .
- 11. Explain Relational Data Model in detail with the help of diagram.
- 12. Enlist and explain any three constraints in detail.

- 13. Explain Software, Hardware, procedure and users are the components.
- 14.Draw and explain Entity, attributes and relationship in E-R Diagram
- 15.Enlist types of relationship. Explain One to many relationship in detail along with example.
- 16. What are the various data types used for DBMS.
- 17. Explain in detail the DDL SQL command
- 18. Explain the file Management system in detail.
- 19.Draw and explain the Hierarchical Data Model in detail.
- 20. What are the components used in Database? Explain them in detail.
- 21. What is ERD? Explain the Entity Relationship Diagram in Detail.
- 22. What are mapping cardinalities? Explain one to one mapping with example.
- 23.Enlist and explain the various data types used in Database Management system.
- 24. What is Peer to Peer Type of Database. Explain it in detail.
- 25.Draw and explain the distributed database in detail.
- 26.Draw and explain the centralized database in detail.
- 27. Which are the logical operators? Explain the AND ,OR and NOT operator in detail.
- 28. Explain Char, varchar, int, float datatypes in detail.
- 29.Explain +,-,*,/,% types of arithmetic operators in detail.
- 30. Explain advantages and disadvantages of DBMS.

Q.3) Answer the following questions

[4 mark]

- 1. What are the uses of constraints.
- 2. Explain the comparison operators in details
- 3. Write down the advantages of DBMS.
- 4. Explain the comparison operators in details
- 5. Write down the advantages of DBMS.
- 6. What is a null constraint? Explain it in detail.
- 7. What is SQL? What are its uses
- 8. Explain the components of RDBMS.
- 9. Explain in detail the DML SQL command
- 10. Enlist and explain any four SQL Datatypes
- 11. What is a null constraint? Explain it in detail.
- 12. Explain the comparison operators in details

B.Voc. –I (Software Development) Sem.-II Examination Object Oriented Programming in C++ (VS 324) Question Bank

2 Marks Que

- 1. What is Inheritance?
- 2. Define access modifiers.
- 3. What are constructors?
- 4. Explain what is sub, derived, child class?
- 5. What is OOP?
- 6. Define Static binding.
- 7. Define dynamic binding.
- 8. What are the benefits of OOP?
- 9. Explain concept of object and class?
- 10. Explain different types of polymorphism?
- 11. Define Destructors.
- 12. Define hierarchical inheritance.
- 13. Explain Storage classes in C++?
- 14. What is inheritance and types of inheritance?
- 15. What is operator overloading?
- 16. What is copy constructor?
- 17. Define Encapsulation.
- 18. Define exception handling.

6 Marks Que

- 1. Explain the use of destructor in C++
- 2. What do you mean by operator precedence? Explain with example.
- 3. Write down difference between function overloading and function overriding.
- 4. Demonstrate the use of try, catch, throw and nested try.
- 5. Explain how memory is allocated to an object of a class with diagram.
- 6. Explain local and global variables with examples.
- 7. State any four concepts of object oriented programming
- 8. Write a program to declare a class "Staff" having data members as name and post. Accept this data
- 9. for 5 staffs and display names of staff who are HOD.
- 10. Explain multiple and multilevel inheritance with example.
- 11. Explain how memory is allocated to an object of a class with diagram.
- 12. Write down syntax and example to create a class.
- 13. Explain all OOP concepts in detail.
- 14. Explain structure of C++ program with example.
- 15. Write difference between Run-time and Compile-time polymorphism with example.
- 16. Explain local and global variables with examples.
- 17. Explain concept of Hierarchical Inheritance with program.
- 18. Write short note on operator precedence? Explain with example.
- 19. Explain access specifiers in detail with example.

4 Marks Que

- 1. Differentiate between error and exception with example.
- 2. Which are input and output operator in C++? Give example.
- 3. What arefeatures of object oriented programming?
- 4. What is copy constructor? Explain working with program.
- 5. What are advantages of Inheritance?
- 6. Write down difference between Constructor and Destructor.
- 7. Explain hybrid Inheritance with example.
- 8. Write a program to create a class "Student" having data member as name, roll no. and percentage to read and display details for 10 students.
- 9. What are the rules for operator overloading?
- 10. Explain concept of friend function.
- 11. Define constructor and write syntax to declare constructor.
- 12. State any four features of OOP.
- 13. Explain single inheritance with program.
- 14. How do we invoke constructor?
- 15. Explain Data abstraction. Give one real time example.
- 16. What is new and delete operator in C++?
- 17. Distinguish between run-time and compile-time polymorphism.
- 18. Explain concept of constructor overloading.
- 19. Write rules to define friend function.
- 20. What is constructor overloading?
- 21. What is Data Abstraction? Explain in detail.
- 22. Write down syntax and example to create a class.
- 23. Differentiate between multiple and multilevel inheritance.
- 24. What is Destructor? Explain in detail.
- 25. What is parameterised constructor? Explain working with program.
- 26. What are the rules for operator overloading?
- 27. Explain all OOP concepts in detail.